# Concurrent SSA Form in the Presence of Mutual Exclusion

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### Introduction

- Why explicitly parallel languages?
  - ① Automatic parallelization strategies have limited applicability
  - 2 Popular systems like Java incorporate parallel constructs
- Understanding explicitly parallel languages allows the compiler to
  - ① Apply sequential optimizations safely
  - 2 Introduce new optimizations specific to parallel programs
- We are developing an optimizing compiler framework for explicitly parallel programs

### The Problem

- An optimizing compiler for explicitly parallel programs must handle
  - ✓ Parallel constructs
    ✓ Synchronization
    ✓ Memory conflicts
- Therefore, a sequential compiler may break these programs

If $flag$ is initially $0$ ,	Thread 1	Thread 2
constant propagation will ⇒ create an infinite loop.	<pre>while (flag == 0)     ;  /* Busy wait */ print(b);</pre>	b = compute(); flag = 1;

- Most existing work focuses on correctness issues (race conditions, deadlock detection, programming environments)
- Recent research concentrates on optimization issues (but different synchronization constructs)

### **Goals and Contributions**

- 1. Develop a framework to analyze and optimize explicitly parallel programs
  - We introduce the CSSAME form  $\rightarrow$  An SSA framework for EPPs with mutual exclusion synchronization
- 2. Adapt sequential optimization techniques
  - We show how CSSAME can improve concurrent constant propagation without modifications to the original algorithm
  - We adapt a sequential dead-code elimination algorithm
- 3. Develop new optimization techniques that take advantage of parallel and synchronization structure
  - We introduce Lock Independent Code Motion  $\to$  A new optimization to reduce size of critical sections

### Language Model

- Parallel threads share same address space with interleaving semantics
- Parallelism specified with cobegin/coend (for now)
- Synchronization is explicit
  - ① Mutual exclusion  $\rightarrow lock/unlock$
  - ② Event variables  $\rightarrow$  set/wait
  - ③ Thread join points  $\rightarrow$  coend

```
flag = 0;
cobegin
    T 1: begin
    while (flag == 0)
        ; /* Busy wait */
    print(b);
end

T 2: begin
    b = compute();
    flag = 1;
end
coend
```

### CSSA Form [Lee, Midkiff and Padua]

#### **CSSA Form** Original program cobegin T 1: begin $lock(L_0);$ cobegin $a_1 = 5;$ T 1: begin $\frac{a_3 = \pi(a_1, a_2);}{b_1 = a_3 + 3;}$ lock(L);a = 5; $\frac{a_4 = \pi(a_1, a_2);}{x_1 = b_1 * a_4;}$ b = a + 3: x = b \* a; $\operatorname{unlock}(L_0);$ unlock(L); end end T 2: begin T 2: begin lock(L); $lock(L_0);$ $\frac{b_2 = \pi(b_0, b_1);}{a_2 = b_2 + 6;}$ a = b + 6;unlock(L); end $unlock(L_0);$ coend end print(x, a);coend $\frac{a_5 = \phi(a_1, a_2);}{\text{print}(x_1, a_5);}$

### The CSSAME Form I

- Refines the CSSA form by reducing number of memory conflicts
  - ① CSSA only recognizes set/wait
  - ② CSSAME adds support for lock/unlock
- Key observation

Mutual exclusion sections serialize execution  $\Rightarrow$  some memory conflicts between them might disappear

- When are memory conflicts superfluous?
  - ① Successive kills  $\rightarrow$  Only last def is exposed out of mutex body
  - ② Protected uses → First def inside mutex body hides conflicts

# The CSSAME Form II

① Consecutive kills	② Protected uses	
$\begin{array}{c} \mathbf{cobegin} \\ \mathrm{T} \ 1: \ \mathbf{begin} \\ & \mathrm{lock}(\mathrm{L}_0); \\ \mathrm{a}_1 = \dots \\ & \dots \\ & \mathrm{a}_2 = \dots \\ & \mathrm{unlock}(\mathrm{L}_0); \\ \mathbf{end} \end{array}$	cobegin  T 1: begin $lock(L_0);$ $a_1 =$ $a_3 = \pi(a_1, \underline{a_2});$ $= a_3;$ $unlock(L_0);$	
T 2: begin $lock(L_0);$ $a_3 = \pi(a_0, \underline{a_1}, a_2);$ $= a_3;$ $unlock(L_0);$ end	end $T \ 2 : \ \mathbf{begin}$ $lock(L_0);$ $\dots$ $a_2 = \dots$ $unlock(L_0);$ end	
coend	coend	

### Computing the CSSAME Form

- 1. Build flow graph for the program
- 2. Identify mutex structures
- 3. Compute CSSA form
  - ① Get partial ordering between conflicting statements
  - ② Place  $\phi$ -terms (standard SSA algorithm)
  - ③ Place  $\pi$ -terms
- 4. Rewrite  $\pi$ -terms
  - ① Eliminate arguments that comply with mutex body properties
  - $\circ$   $\pi$ -terms with one argument left can be safely removed

## Optimizations I – Constant Propagation

CSSA	CSSAME	Constant
Form	Form	Propagation
cobegin T 1: begin $lock(L_0);$ $a_1 = 5;$ $a_3 = \pi(a_1, a_2);$ $b_1 = a_3 + 3;$ $a_4 = \pi(a_1, a_2);$ $x_1 = b_1 * a_4;$ $unlock(L_0);$	$\begin{aligned} \mathbf{cobegin} \\ \mathbf{T} \ \mathbf{1:begin} \\ & \mathrm{lock}(\mathbf{L}_0); \\ & \mathbf{a}_1 = 5; \\ & \mathbf{b}_1 = \mathbf{a}_1 + 3; \\ & \mathbf{x}_1 = \mathbf{b}_1 * \mathbf{a}_1; \\ & \mathrm{unlock}(\mathbf{L}_0); \\ & \mathbf{end} \end{aligned}$	$\begin{array}{c} \mathbf{cobegin} \\ \mathrm{T} \ 1: \ \mathbf{begin} \\ \mathrm{lock}(\mathrm{L}_0); \\ \mathrm{a}_1 = 5; \\ \mathrm{b}_1 = 8; \\ \mathrm{x}_1 = 40; \\ \mathrm{unlock}(\mathrm{L}_0); \\ \mathbf{end} \end{array}$
end	T 2 1 .	m 2 1 ·
T 2: begin $lock(L_0);$ $b_2 = \pi(b_0, b_1);$ $a_2 = b_2 + 6;$ $unlock(L_0);$ end $coend$ $a_5 = \phi(a_1, a_2);$ $print(x_1, a_5);$	T 2: begin $lock(L_0);$ $b_2 = \pi(b_0, b_1);$ $a_2 = b_2 + 6;$ $unlock(L_0);$ end $coend$ $a_3 = \phi(a_1, a_2);$ $print(x_1, a_3);$	T 2: begin $lock(L_0);$ $b_2 = \pi(b_0, b_1);$ $a_2 = b_2 + 6;$ $unlock(L_0);$ end $coend$ $a_3 = \phi(a_1, a_2);$ $print(x_1, a_3);$

# Optimizations II – Dead Code Elimination

CSSA Form	CSSAME Form	Dead Code Elimination
$\begin{aligned} &\textbf{cobegin}\\ &\textbf{T 1: begin}\\ &\textbf{lock}(\textbf{L}_0);\\ &\textbf{a}_1 = \textbf{foo}_0;\\ &\textbf{b}_1 = 8;\\ &\textbf{a}_2 = \textbf{b}_1 * \textbf{foo}_0;\\ &\textbf{unlock}(\textbf{L}_0);\\ &\textbf{end} \end{aligned}$	$\label{eq:cobegin} \begin{split} \text{T 1: begin} \\ & \text{lock}(L_0); \\ & \text{a}_1 = \text{foo}_0; \\ & \text{b}_1 = 8; \\ & \text{a}_2 = \text{b}_1 * \text{foo}_0; \\ & \text{unlock}(L_0); \\ & \text{end} \end{split}$	$\label{eq:cobegin} \begin{split} \text{T 1: begin} \\ & \text{lock}(L_0); \\ & \text{b}_1 = 8; \\ & \text{a}_2 = \text{b}_1 * \text{foo}_0; \\ & \text{unlock}(L_0); \\ & \text{end} \end{split}$
T 2: begin $lock(L_0)$ ; $a_3 = \pi(a_0, a_1, a_2)$ ; $b_2 = a_3 + 6$ ; $unlock(L_0)$ ; end $coend$ $b_3 = \phi(b_1, b_2)$ ; $print(a_2, b_3)$ ;	T 2: begin $lock(L_0)$ ; $a_3 = \pi(a_0, a_2)$ ; $b_2 = a_3 + 6$ ; $unlock(L_0)$ ; end $coend$ $b_3 = \phi(b_1, b_2)$ ; $print(a_2, b_3)$ ;	T 2: begin $lock(L_0)$ ; $a_3 = \pi(a_0, a_2)$ ; $b_2 = a_3 + 6$ ; $unlock(L_0)$ ; end $coend$ $b_3 = \phi(b_1, b_2)$ ; $print(a_2, b_3)$ ;

### **Optimizations III – Lock Independent Code Motion**

- A statement is lock independent if it references non-conflicting variables
- The algorithm hoists lock independent statements out of the mutex body

```
cobegin
                                cobegin
  T 1: begin
                                   T 1: begin
    lock(L_0);
                                     x_1 = foo_0;
    b_1 = 8;
                                     lock(L_0);
 \mathbf{1} \mathbf{x}_1 = \mathbf{foo}_0;
                                     b_1 = 8;
    \operatorname{unlock}(L_0);
                                     \operatorname{unlock}(L_0);
  end
                                   end
  T 2: begin
                                   T 2: begin
    lock(L_0);
                                     lock(L_0);
    b_2 = \pi(b_0, b_1);
                                     b_2 = \pi(b_0, b_1);
    a_1 = b_2 + 6;
                                     a_1 = b_2 + 6;
    \operatorname{unlock}(L_0);
                                     \operatorname{unlock}(L_0);
  end
                                   end
coend
                                coend
print(x_1);
                                print(x_1);
```

### **Current and Future Work**

#### Current work

- ① Implemented in SUIF
- ② New optimization techniques: single-writer/multiple-readers, code sinking, lock picking, lock partitioning, partial lock independence
- $\ \$  Support for SPMD parallelism  $\ \ \rightarrow \$  barriers are another form of mutual exclusion
- Applying techniques to Java

#### Future work

- ① Apply IPA to propagate mutual exclusion information
- ② Adapt other scalar optimizations
- ③ Cost/benefit analysis. Can we use the same models used in scalar optimizations?